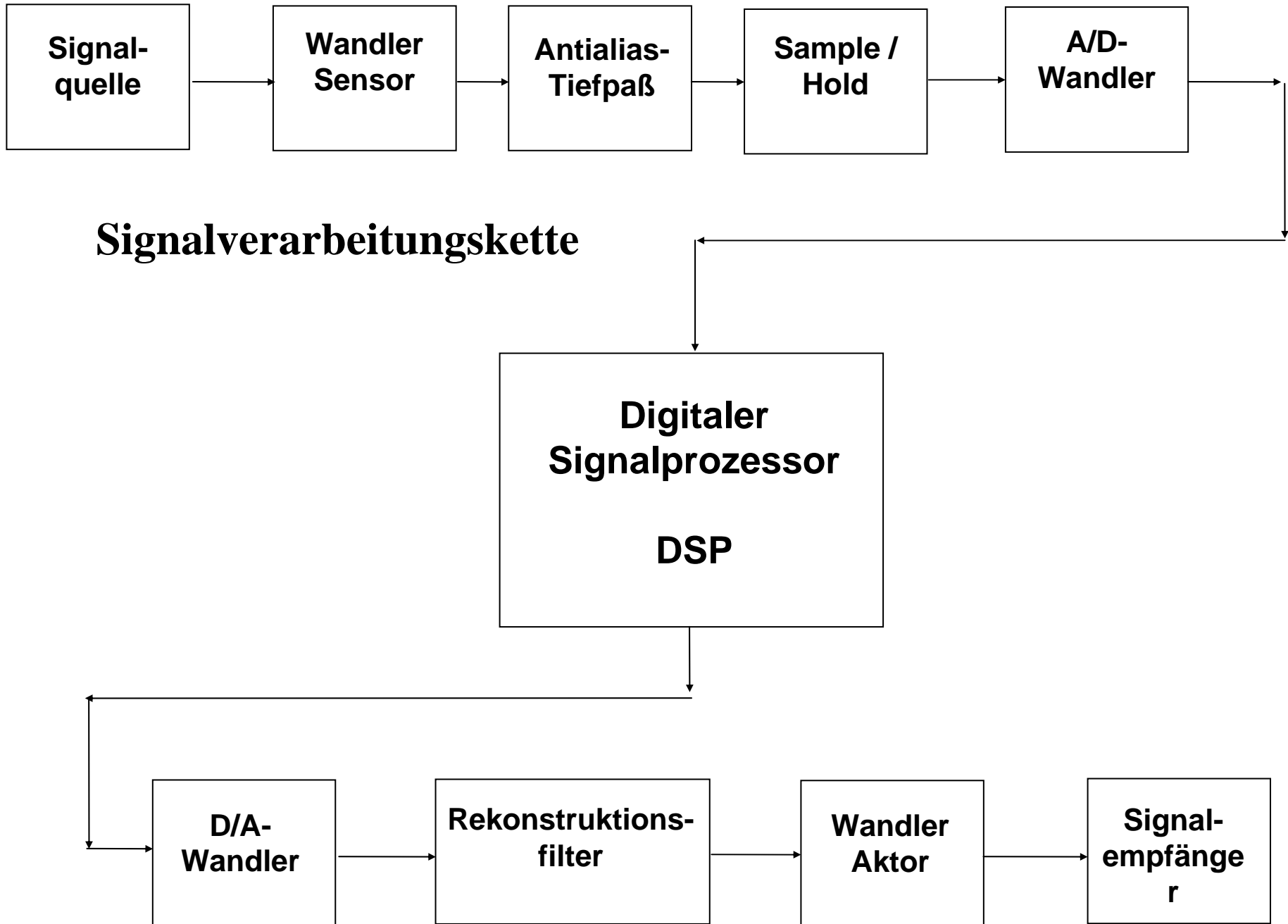


Spezielle Prozessoren

Digitale Signalprozessoren

DSP

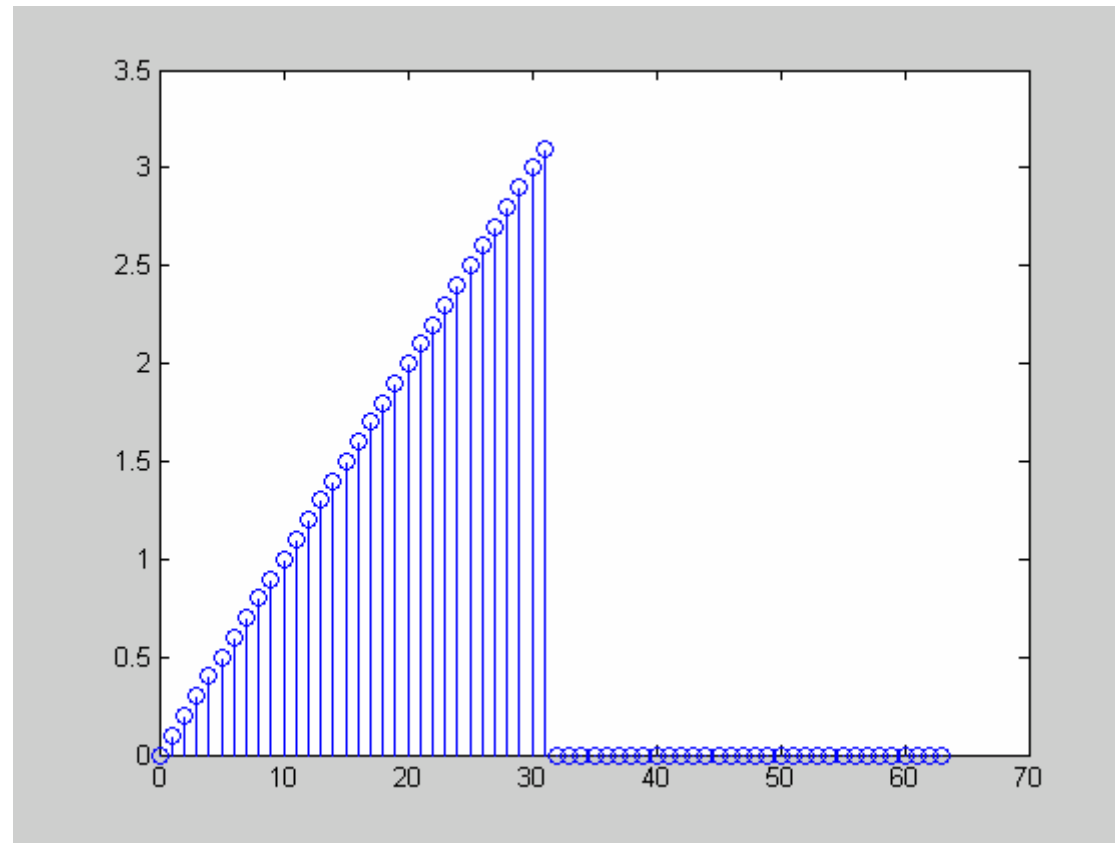


Diskrete Fouriertransformation

$$F(m) = \sum_{n=0}^{N-1} f(n) \cdot e^{-\frac{jmn2\pi}{N}}$$

$$f(n) = \frac{1}{N} \cdot \sum_{m=0}^{N-1} F(m) \cdot e^{\frac{jmn2\pi}{N}}$$

Bsp. Diskrete Fouriertransformation diskretes Signal



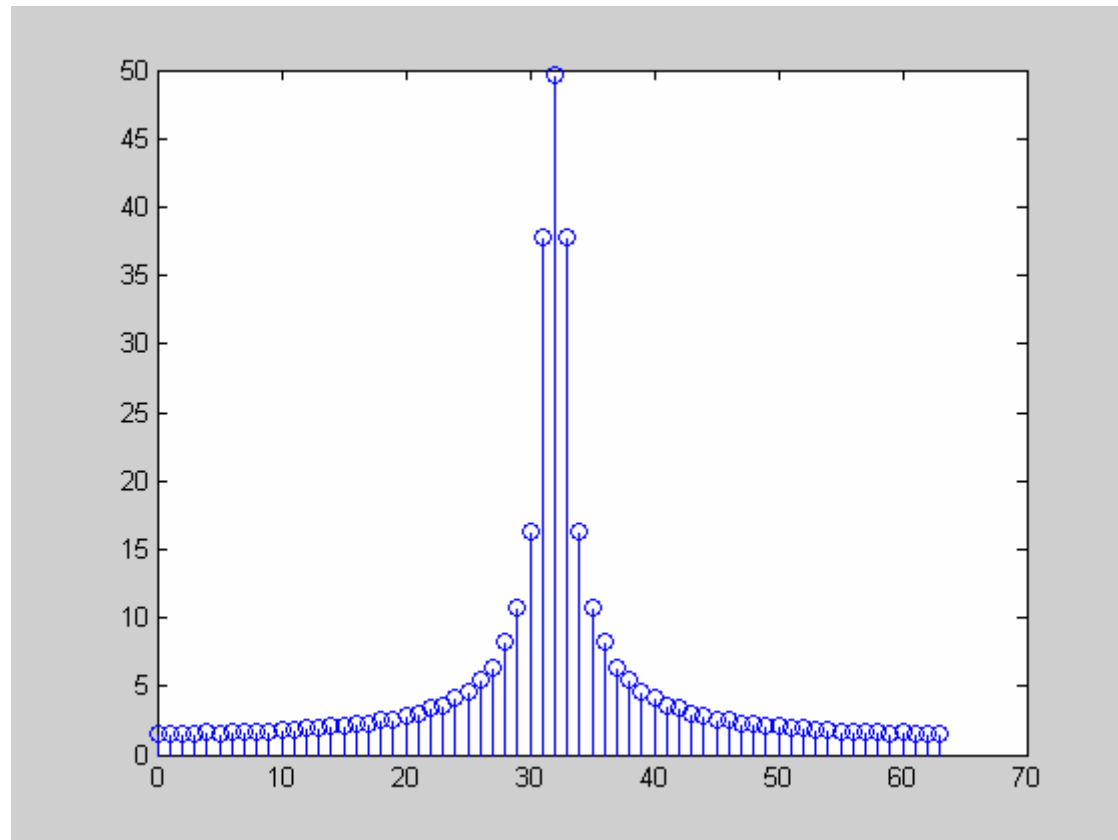
Bsp. Diskrete Fouriertransformation diskretes Signal

Diskrete Fouriertransformation in MATLAB

```
freq=fftshift(fft(sig))
```

```
stem(unabh,abs(freq))
```

Bsp. Diskrete Fouriertransformation diskrete Frequenzen



Diskrete Faltung

$$y(n) = \sum_{k=-\infty}^{\infty} x(k) \cdot g(n-k) = x(n) * g(n) = \sum_{k=-\infty}^{\infty} g(k) \cdot x(n-k)$$

Diskrete Korrelation

$$k(n) = \sum_{k=-\infty}^{\infty} y(k) \cdot x(k+n)$$

Differenzengleichung

$$\sum_{k=0}^N a_k y(n-k) = \sum_{k=0}^M b_k x(n-k)$$

Differenzengleichung rekursiv

$$y(n) = \frac{1}{a_0} \cdot \left(\sum_{k=0}^M b_k x(n-k) - \sum_{k=1}^N a_k y(n-k) \right)$$

Bsp IIR - Tiefpass

Bestimmung der Filterkoeffizienten mit
MATLAB

```
[bk,ak]=butter(4,0.001)
```

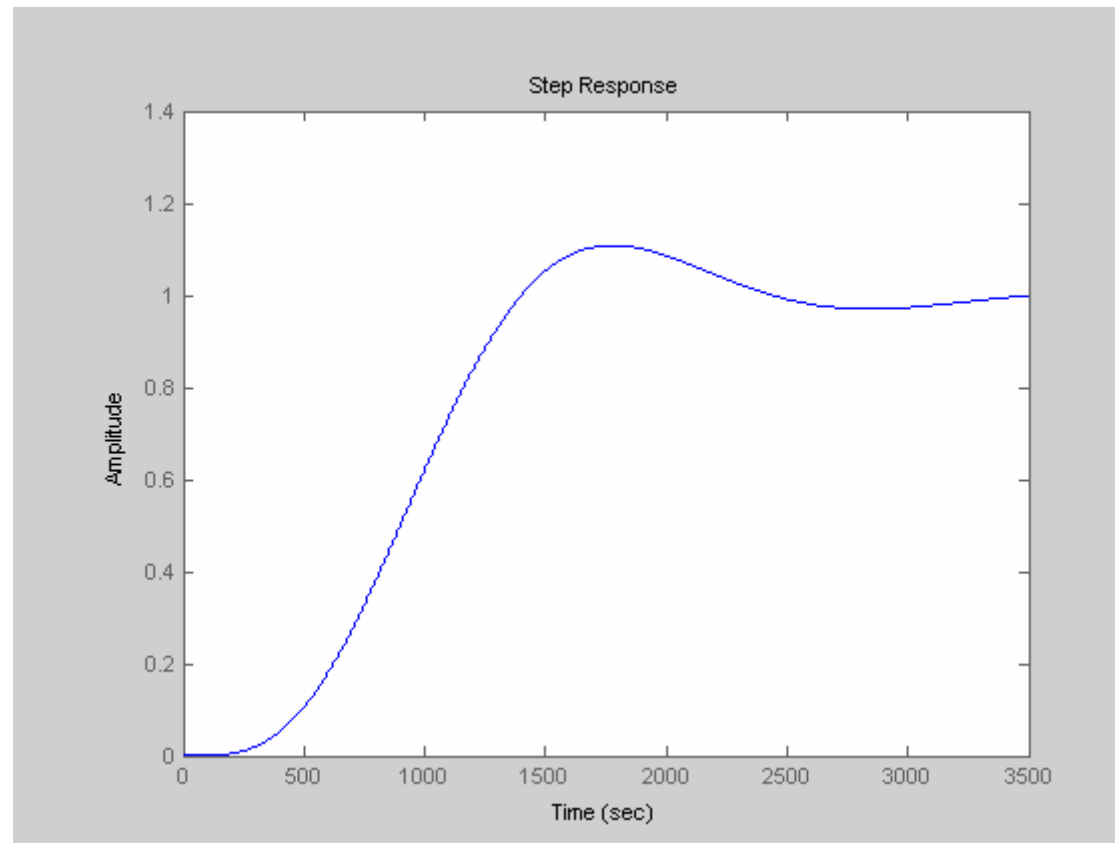
```
bk=1.0e-010 *
```

```
0.0606 0.2425 0.3638 0.2425 0.0606
```

```
ak=1.0000 -3.9918 5.9754 -3.9754 0.9918
```

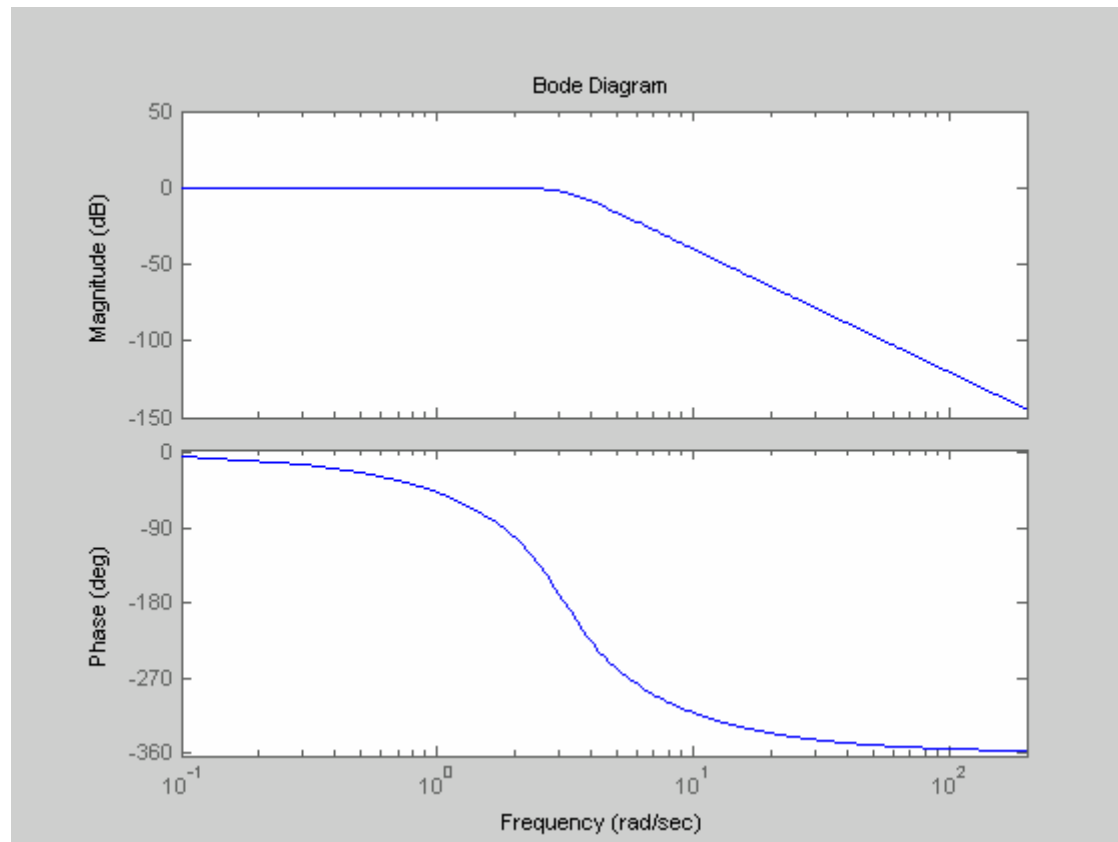
Bsp IIR - Tiefpass

`dstep(bk,ak)`



Bsp IIR - Tiefpass

`dbode(zbut,nbut,0.001,w)`



Differenzengleichung nicht rekursiv

$$y(n) = \sum_{k=0}^M \frac{b_k}{a_0} \cdot x(n - k)$$

Bsp FIR-Tiefpass

Bestimmung der Filterkoeffizienten mit Hilfe
von MATLAB

```
zfir=fir1(8,0.01)
```

Bsp FIR-Tiefpass

Filterkoeffizienten aus Matlab sind

Nennerkoeffizienten für $G(z)$

bfir =

0.0181	0.0488	0.1227	0.1967
0.2274	0.1967	0.1227	0.0488
0.0181			

Bsp FIR-Tiefpass

Nennerkoeffizienten für $G(z)$

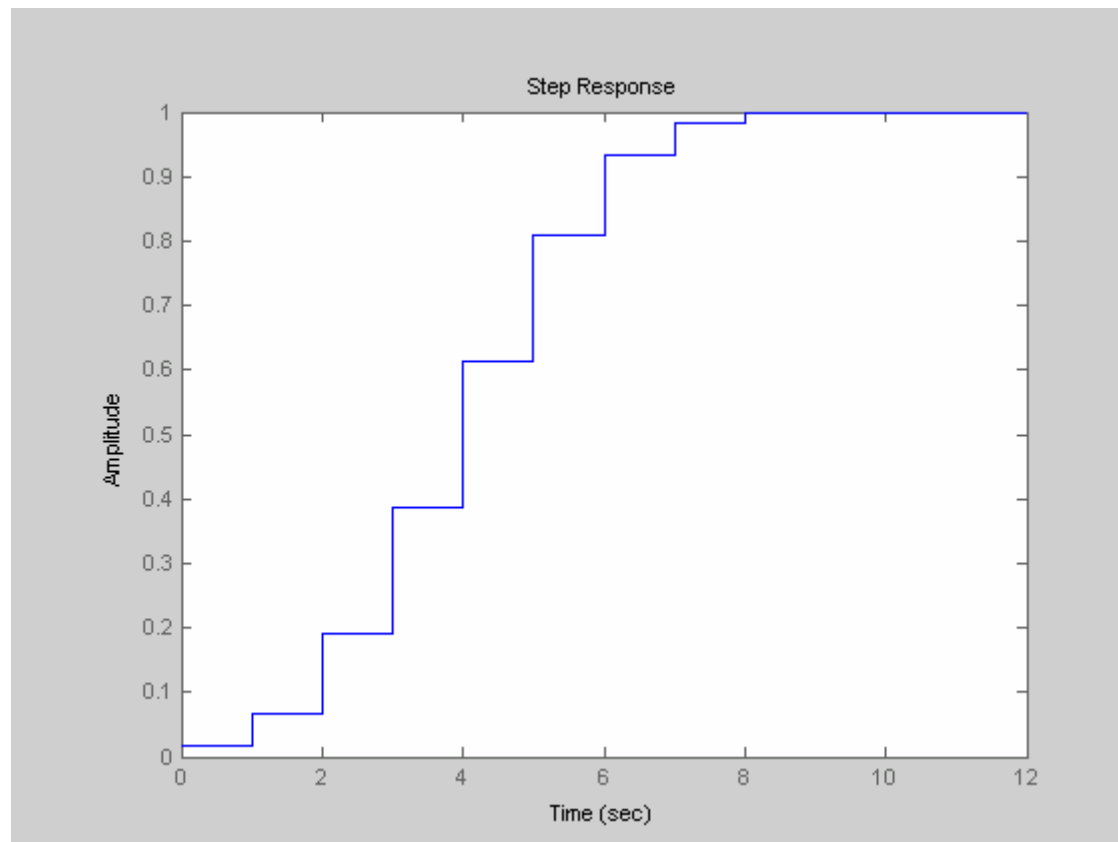
$n_{fir} =$

1 0 0 0 0 0 0 0 0

Bsp FIR-Tiefpass

Diskrete Sprungantwort in MATLAB

`dstep(zfir,nfir)`



Matrizenmultiplikation

$$p_{ij} = \sum_{k=1}^m a_{ik} \cdot b_{kj}$$

Zweidimensionale Faltung

$$P_N(i, j) = \sum_{k=0}^{M-1} \sum_{l=0}^{N-1} P_A(k, l) \cdot G_2(i - k, j - l)$$

Zweidimensionale Kreuzkorrelation

$$K_{t,f}(i, j) = \sum_{k=-m}^m \sum_{l=-n}^n T(k, l) \cdot O(i - k, j - l)$$

Ergebnis

Ähnlicher Algorithmus für eine Vielzahl unterschiedlicher Aufgaben

- Multiplikation und Akkumulation

Anforderungen an die Architektur

- Harvardarchitektur
 - Gleichzeitiger Zugriff auf zwei Operanden aus dem Speicher
- Befehlsabarbeitung in einem Takt / Befehl
- Dreiadressmaschine bei Registeradressierung
 $\text{erg} = \text{erg} + \text{op1} * \text{op2}$

Anforderungen an die Architektur

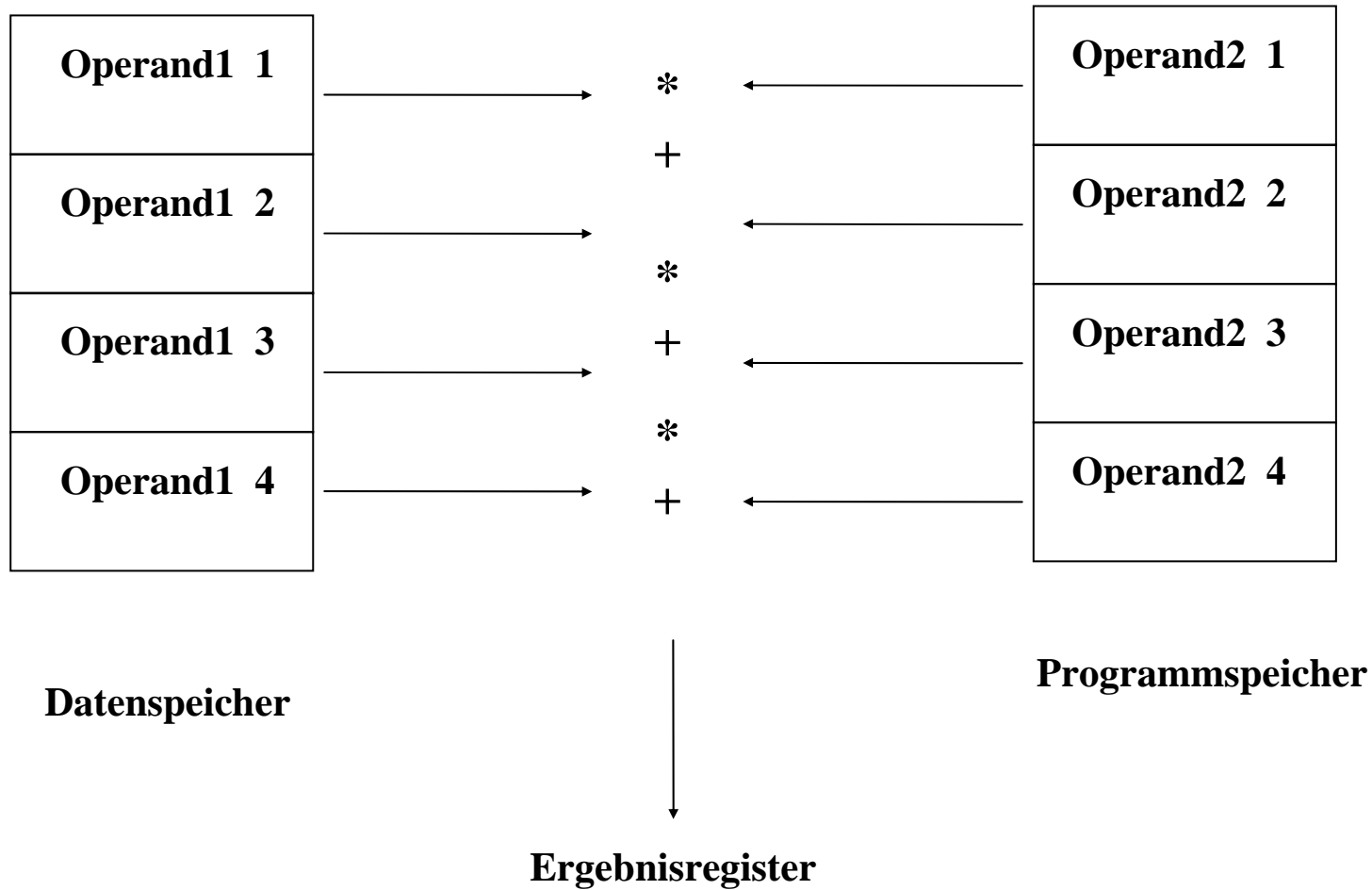
- Hardwaremultiplizierer

Histogramm

$$H(P(k, l)) = H(P(k, l)) + 1$$

$$k = 0 \dots M - 1 \quad l = 0 \dots N - 1$$

DSP Algorithmen



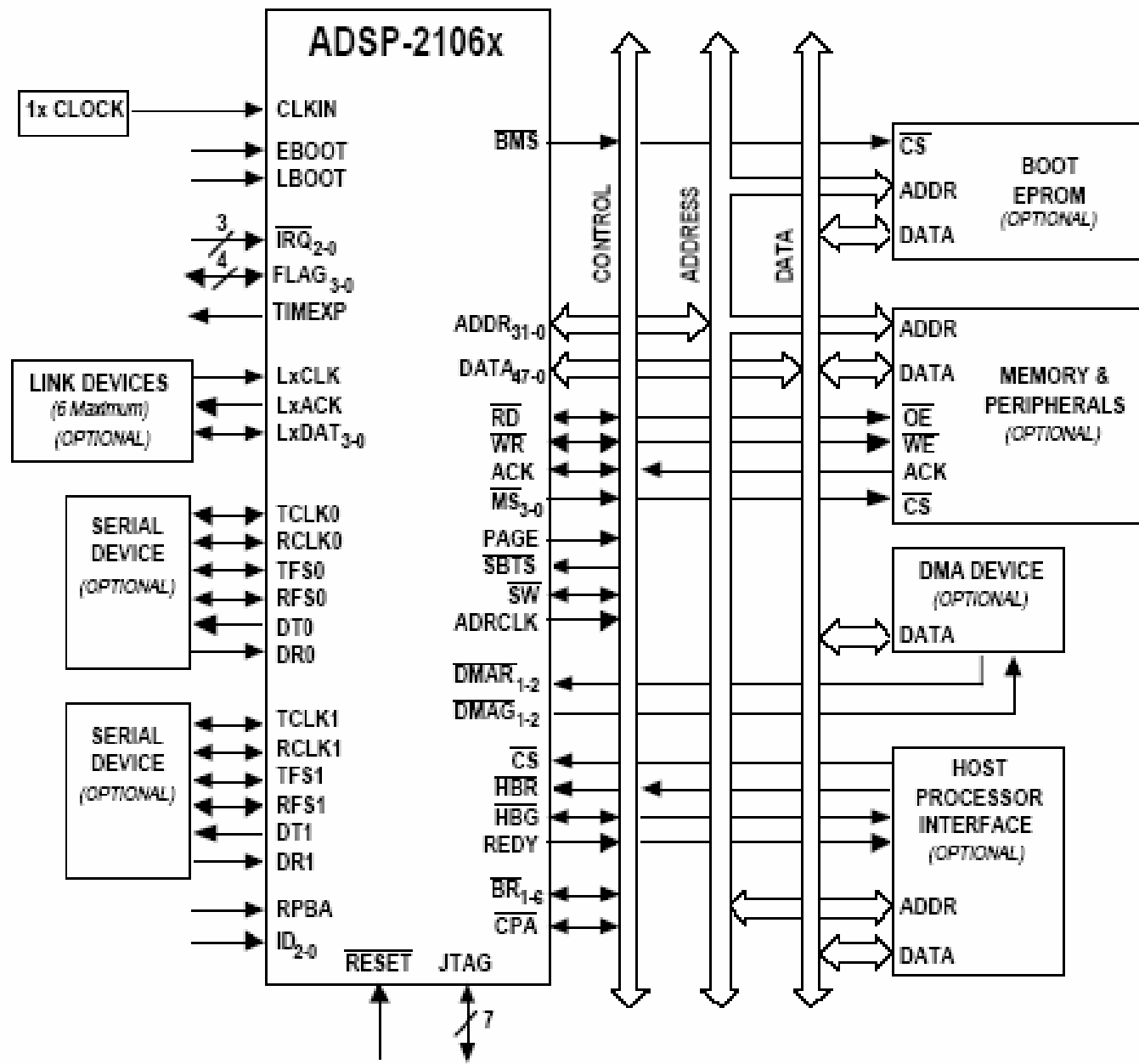
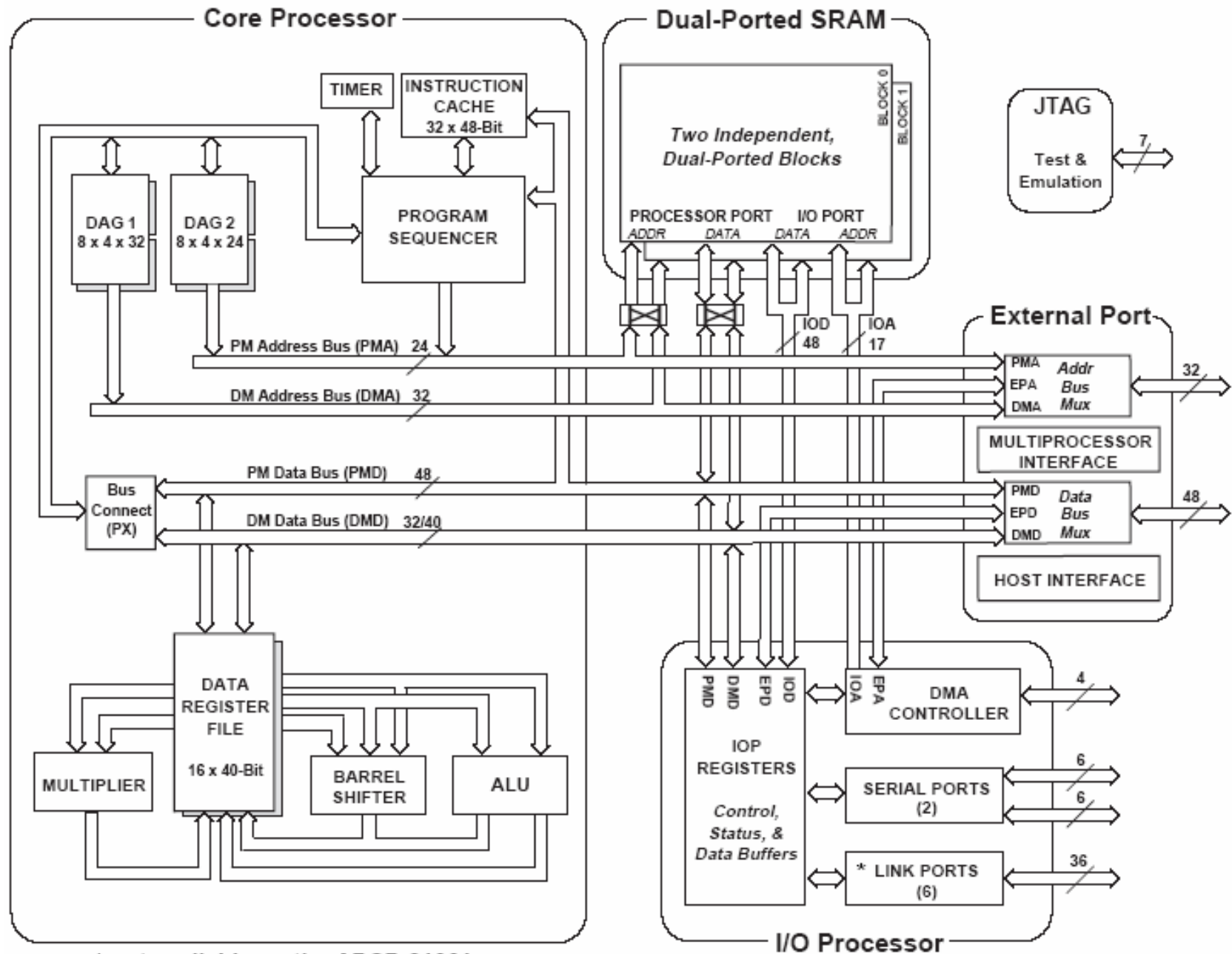


Figure 1.3 ADSP-2106x System



* not available on the ADSP-21061

Figure 1.2 ADSP-2106x SHARC Block Diagram

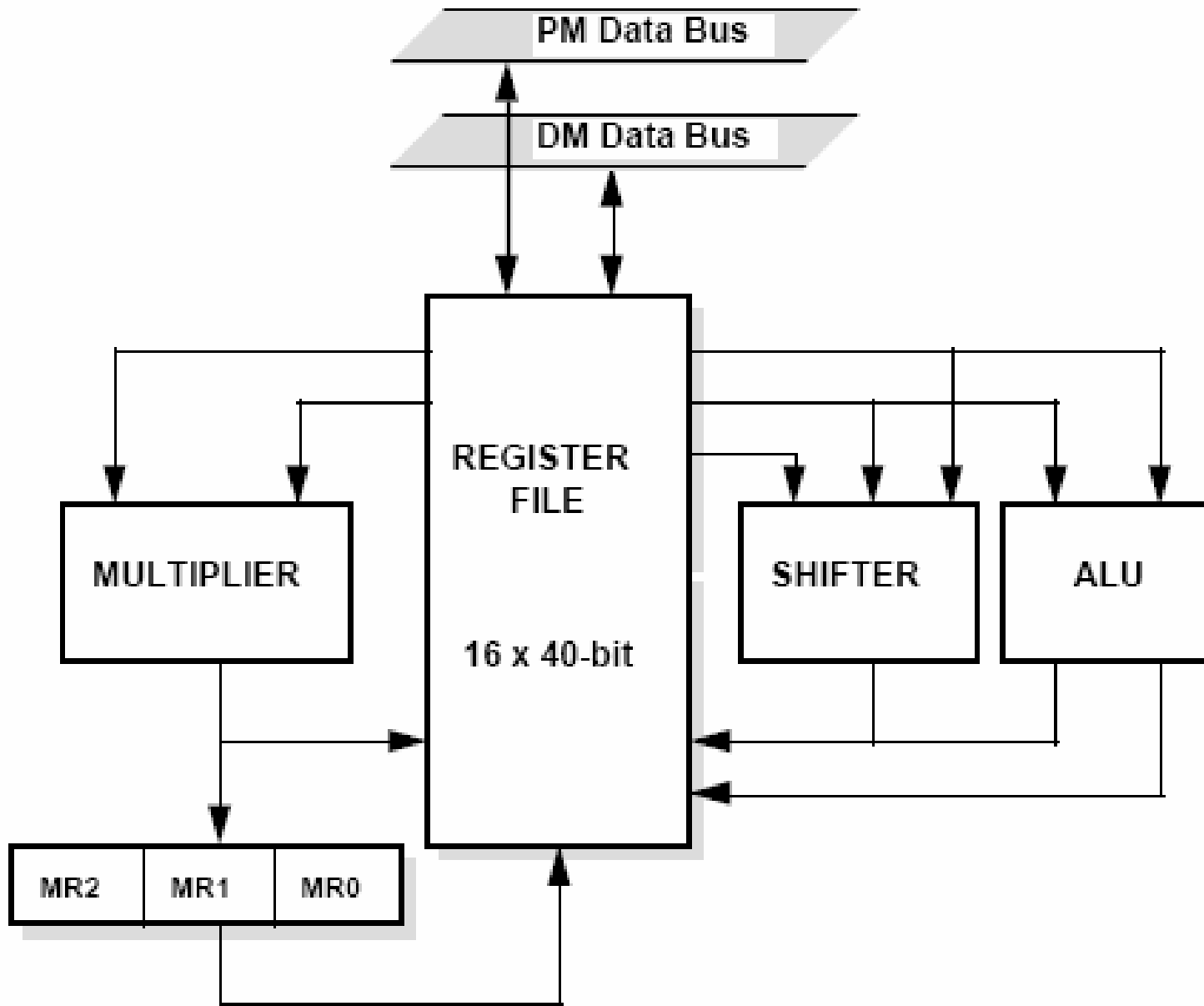
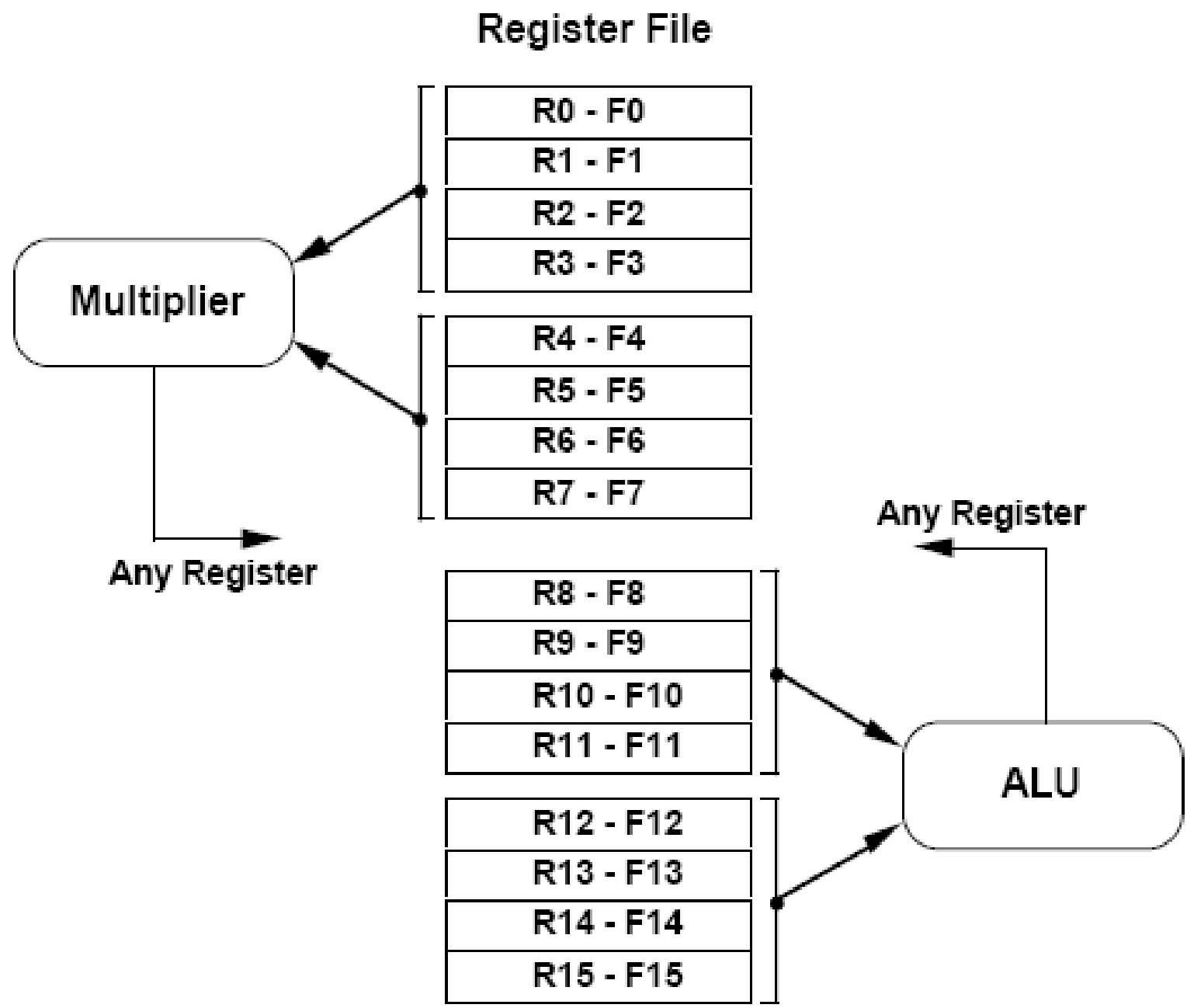
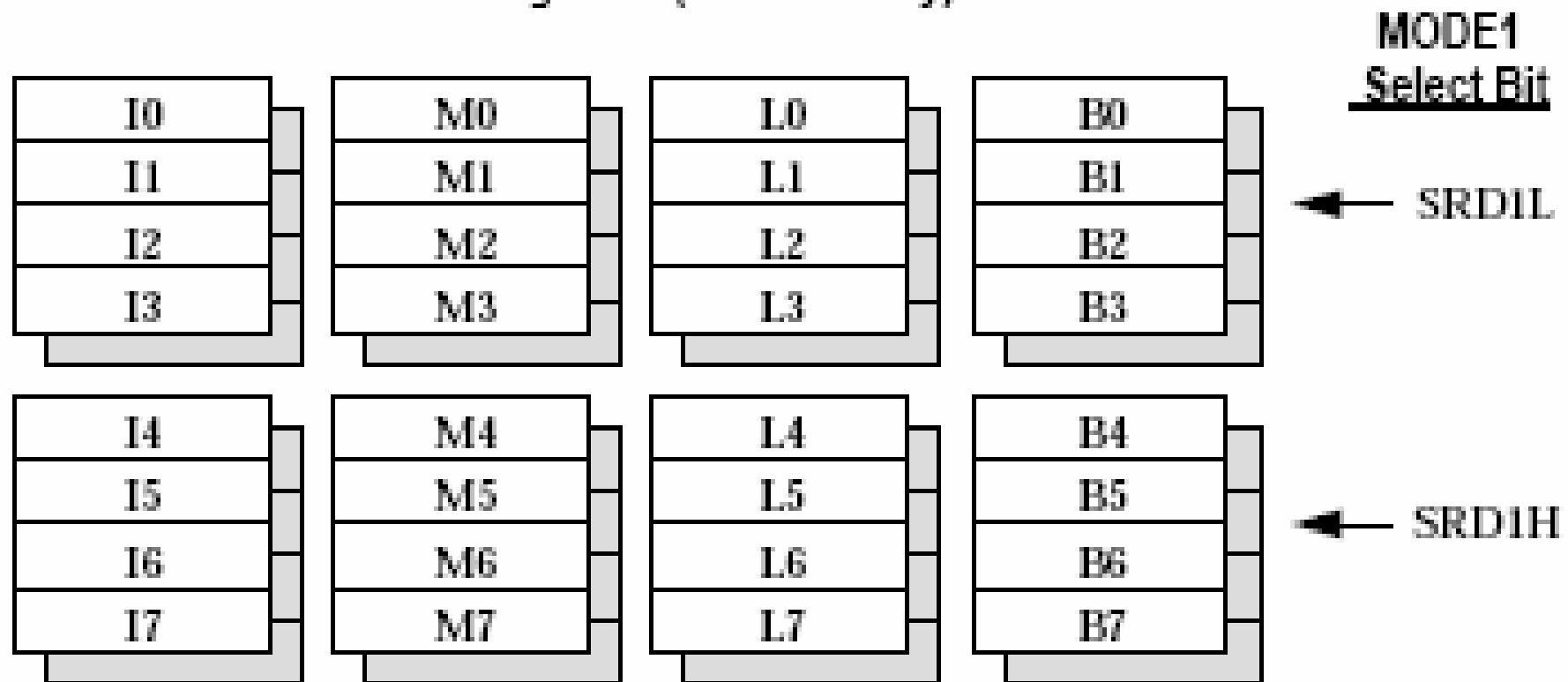


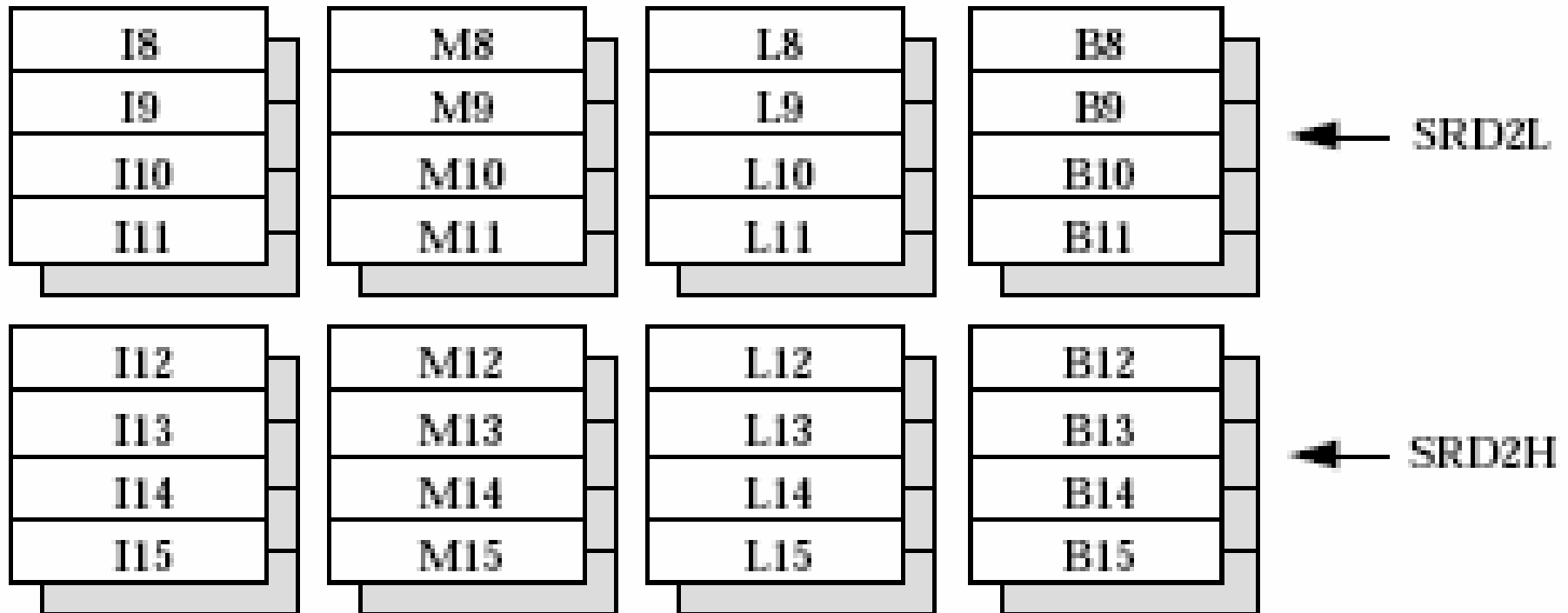
Figure 2.1 Computation Units



DAG1 Registers (Data Memory)

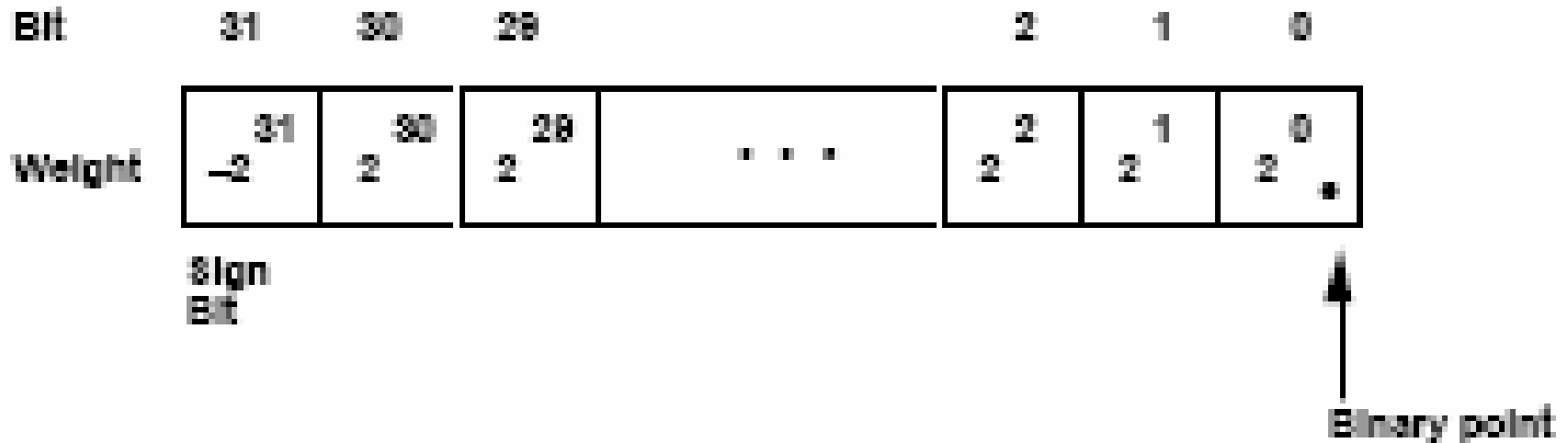


DAG2 Registers (Program Memory)

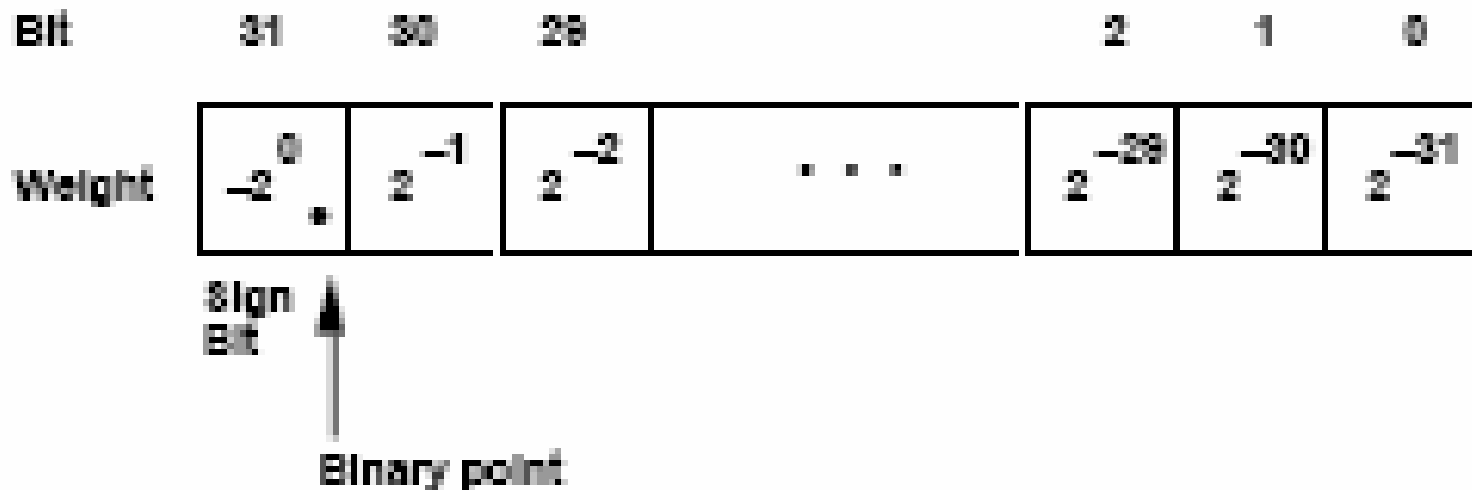


Zahlenformate Festkomma

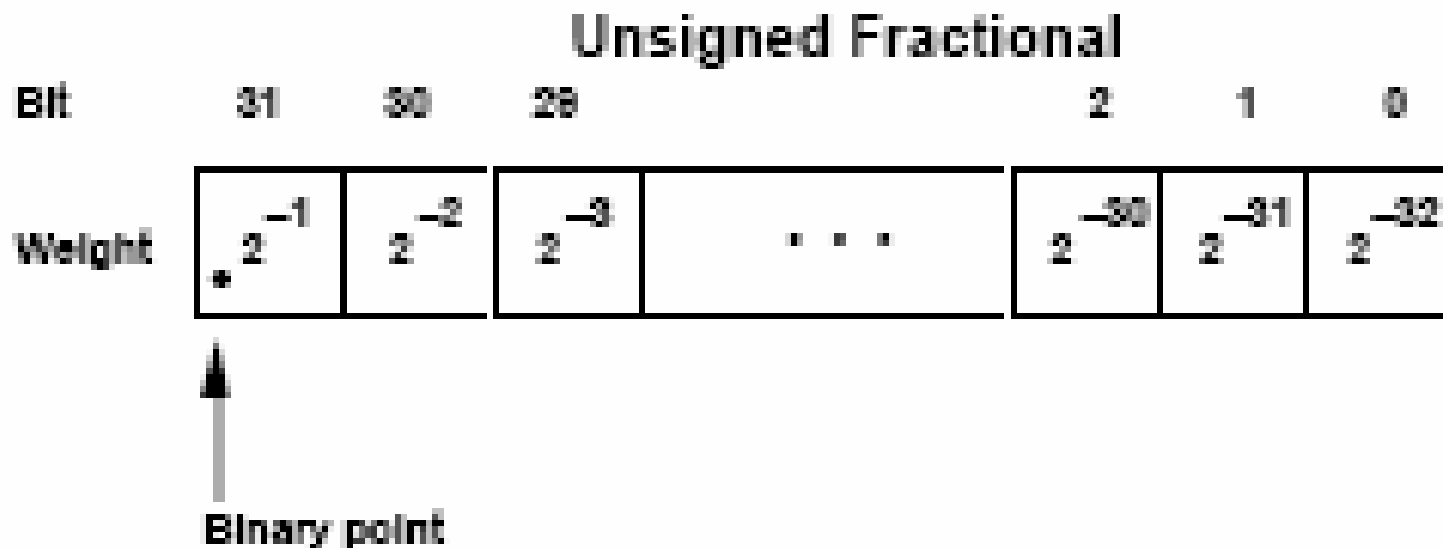
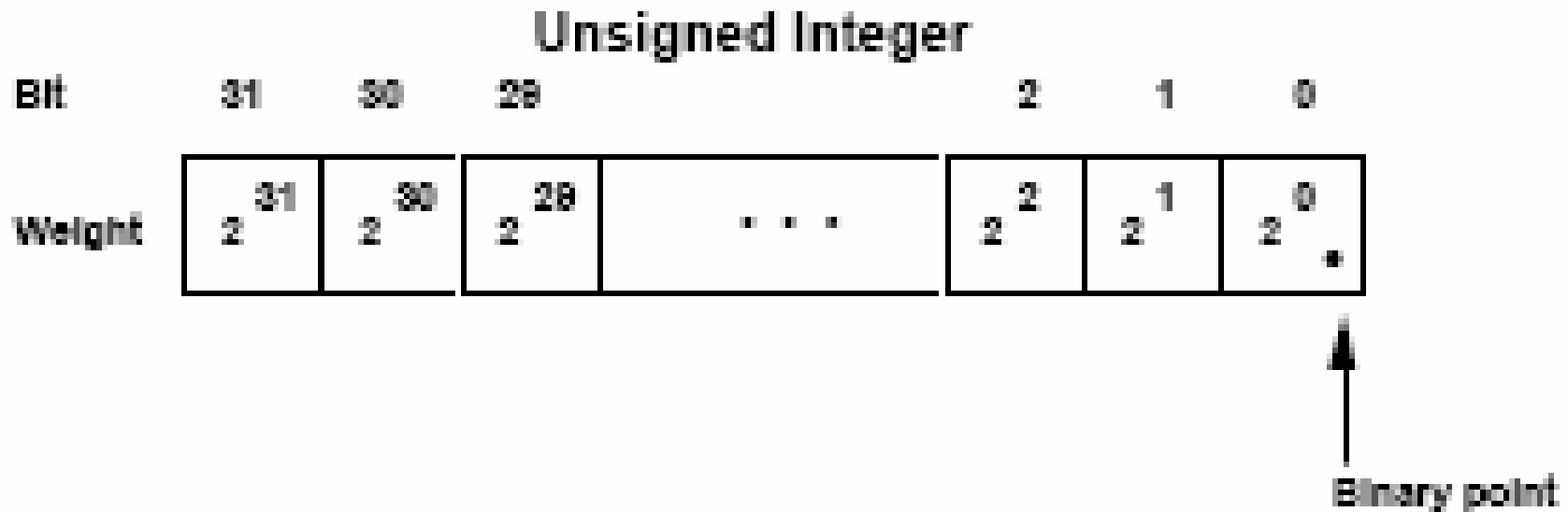
Signed Integer



Signed Fractional



Zahlenformate Festkomma



Zahlenformate Festkomma

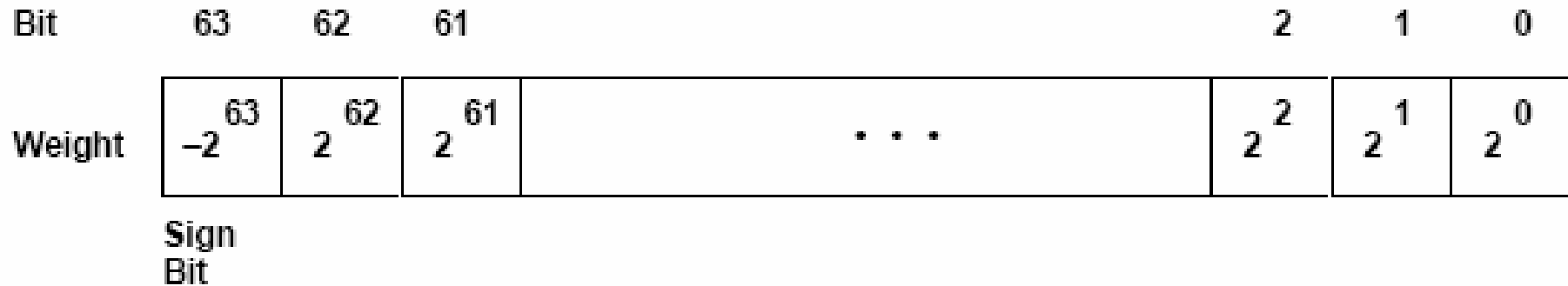
Bit	63	62	61							2	1	0
Weight	2^{63}	2^{62}	2^{61}	...						2^2	2^1	2^0

Unsigned Integer

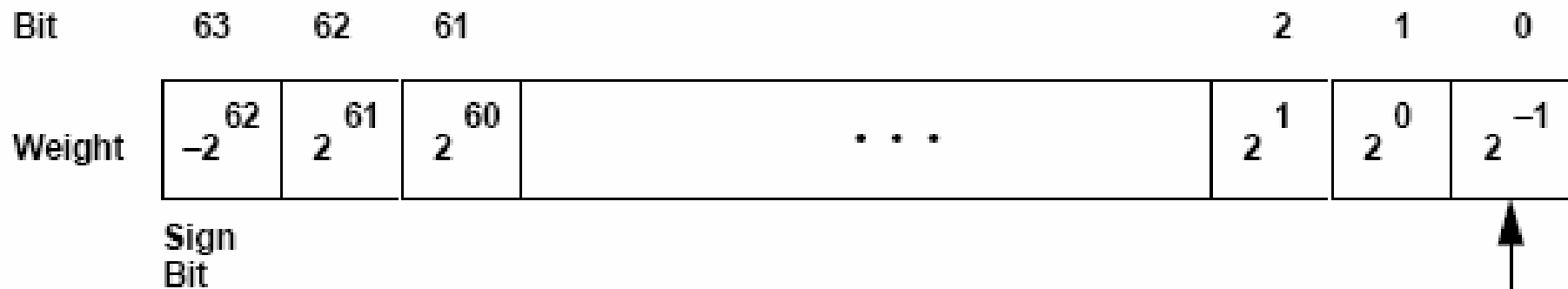
Bit	63	62	61							2	1	0
Weight	2^{-1}	2^{-2}	2^{-3}	...						2^{-62}	2^{-63}	2^{-64}

Unsigned Fractional

Zahlenformate Festkomma



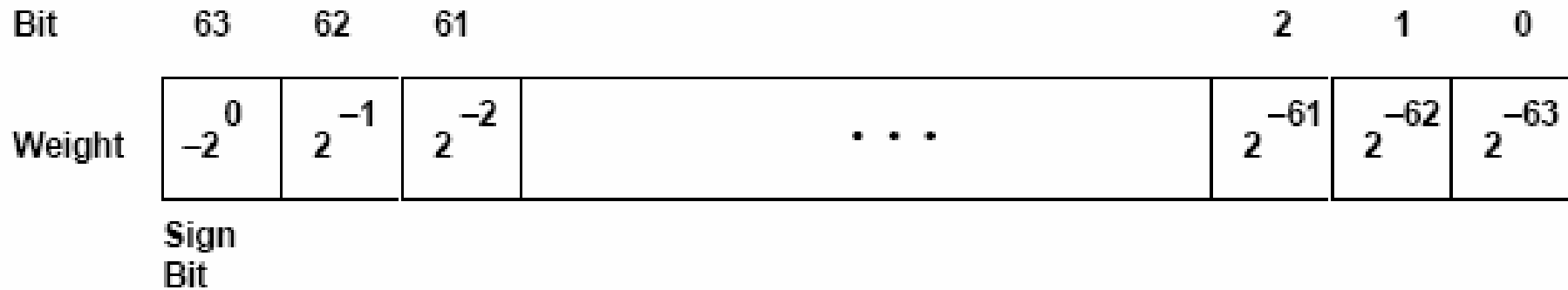
Signed Integer, No Left Shift



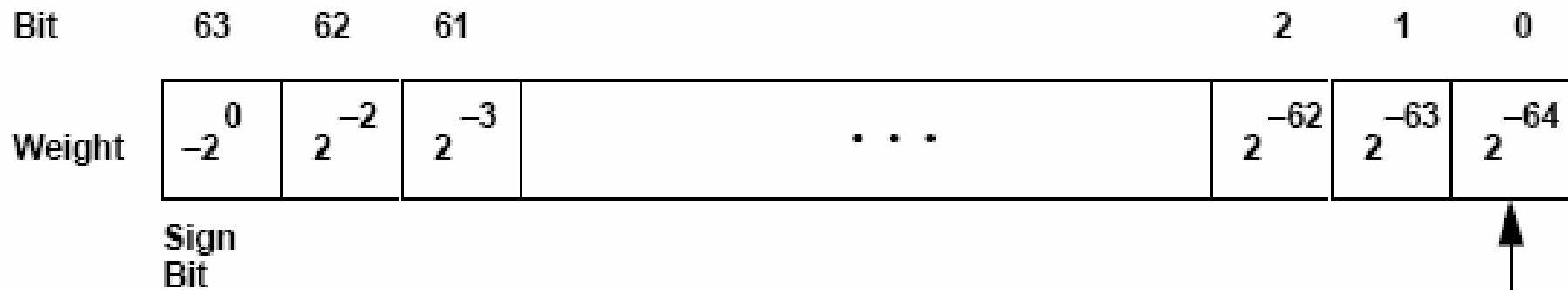
Signed Integer With Left Shift



Zahlenformate Festkomma



Signed Fractional, No Left Shift



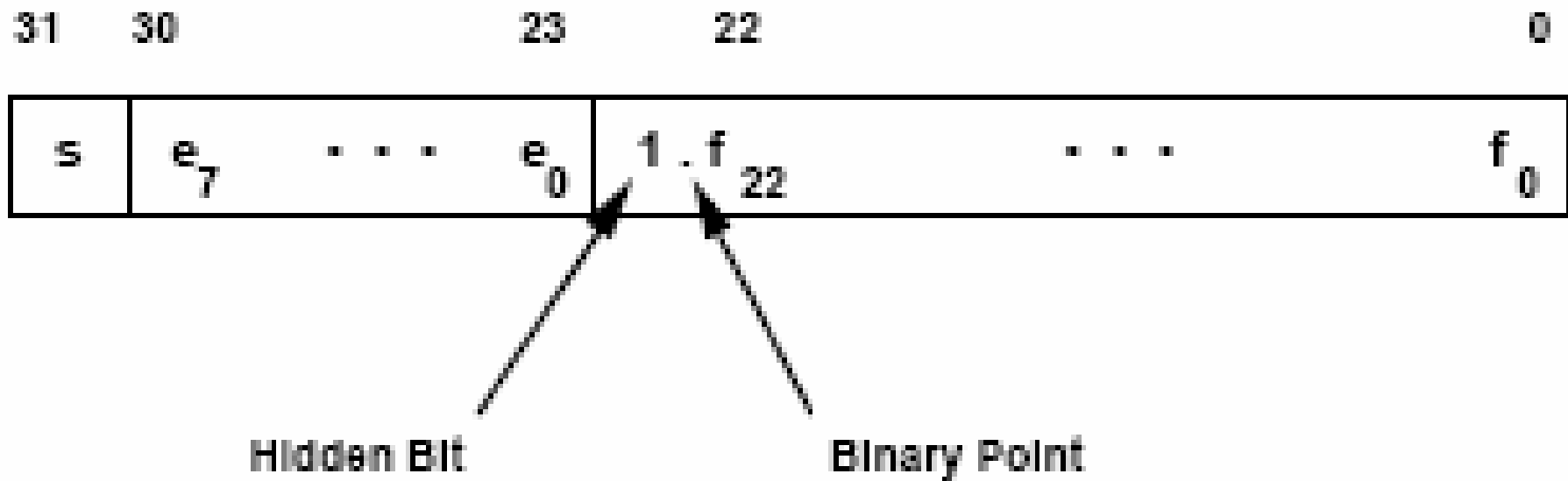
Signed Fractional With Left Shift



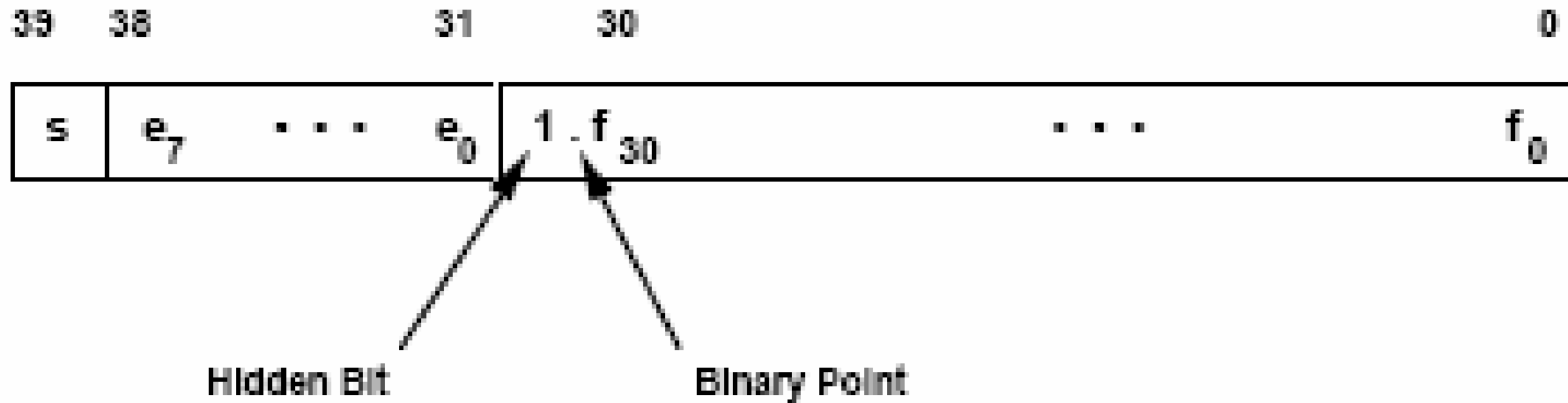
Zahlenformate Gleitkomma

<i>Type</i>	<i>Exponent</i>	<i>Fraction</i>	<i>Value</i>
NAN	255	Nonzero	Undefined
Infinity	255	0	$(-1)^s$ Infinity
Normal	$1 \leq e \leq 254$	Any	$(-1)^s (1.f_{22-0}) 2^{e-127}$
Zero	0	0	$(-1)^s$ Zero

Zahlenformate Gleitkomma



Zahlenformate Gleitkomma



ALU - Einstellung

MODE1

<u>Bit</u>	<u>Name</u>	<u>Function</u>
13	ALUSAT	1=Enable ALU saturation (full scale in fixed-point) 0=Disable ALU saturation
15	TRUNC	1=Truncation; 0=Round to nearest
16	RND32	1=Round to 32 bits; 0=Round to 40 bits

ALUSAT Bei Überlauf werden positive Festkommazahlen
auf den größten Wert gesetzt
Bei Überlauf werden negative Festkommazahlen
auf den kleinsten Wert gesetzt
Andernfalls bleiben die höheren 32 Bit erhalten

ALU – Flags im ASTAT Register

<i>Bit Name</i>	<i>Definition</i>
0 AZ	ALU result zero or floating-point underflow
1 AV	ALU overflow
2 AN	ALU result negative
3 AC	ALU fixed-point carry
4 AS	ALU X input sign (ABS, MANT operations)
5 AI	ALU floating-point invalid operation
10 AF	Last ALU operation was a floating-point operation
31-24 CACC	Compare Accumulation register (results of last 8 compare operations)

ALU – Flags im STICKY Register

- ALU updates four “sticky” flags in the STKY register. Once set, a sticky flag remains high until explicitly cleared.
- *STKY*

Bit Name Definition

0	AUS	ALU floating-point underflow
1	AVS	ALU floating-point overflow
2	AOS	ALU fixed-point overflow
5	AIS	ALU floating-point invalid operation

ALU Festkommabefehle

Vereinbarungen

Rn, Rx, Ry = Any register file location; treated as fixed-point

Fn, Fx, Fy = Any register file location; treated as floating-point

c = ADSP-21xx-compatible instruction

* set or cleared, depending on results of instruction

** may be set (but not cleared), depending on results of instruction

– no effect

ALU Festkommabefehle

Instruction	ASTAT Status Flags							STKY Status Flags				
	AZ	AV	AN	AC	AS	AI	AF	CACC	AUS	AVS	AOS	AIS
Fixed-point:												
c $Rn = Rx + Ry$	*	*	*	*	0	0	0	-	-	-	**	-
c $Rn = Rx - Ry$	*	*	*	*	0	0	0	-	-	-	**	-
c $Rn = Rx + Ry + CI$	*	*	*	*	0	0	0	-	-	-	**	-
c $Rn = Rx - Ry + CI - 1$	*	*	*	*	0	0	0	-	-	-	**	-
$Rn = (Rx + Ry) / 2$	*	0	*	*	0	0	0	-	-	-	-	-
COMP(Rx, Ry)	*	0	*	0	0	0	0	*	-	-	-	-
$Rn = Rx + CI$	*	*	*	*	0	0	0	-	-	-	**	-
$Rn = Rx + CI - 1$	*	*	*	*	0	0	0	-	-	-	**	-
$Rn = Rx + 1$	*	*	*	*	0	0	0	-	-	-	**	-
$Rn = Rx - 1$	*	*	*	*	0	0	0	-	-	-	**	-
c $Rn = -Rx$	*	*	*	*	0	0	0	-	-	-	**	-
c $Rn = ABS Rx$	*	*	0	0	*	0	0	-	-	-	**	-
$Rn = PASS Rx$	*	0	*	0	0	0	0	-	-	-	-	-
c $Rn = Rx AND Ry$	*	0	*	0	0	0	0	-	-	-	-	-
c $Rn = Rx OR Ry$	*	0	*	0	0	0	0	-	-	-	-	-
c $Rn = Rx XOR Ry$	*	0	*	0	0	0	0	-	-	-	-	-
c $Rn = NOT Rx$	*	0	*	0	0	0	0	-	-	-	-	-
$Rn = MIN(Rx, Ry)$	*	0	*	0	0	0	0	-	-	-	-	-
$Rn = MAX(Rx, Ry)$	*	0	*	0	0	0	0	-	-	-	-	-
$Rn = CLIP Rx BY Ry$	*	0	*	0	0	0	0	-	-	-	-	-

ALU Gleitkommabefehle

Floating-point:

$F_n = F_x + F_y$	*	*	*	0	0	*	1	-	**	**	-	**
$F_n = F_x - F_y$	*	*	*	0	0	*	1	-	**	**	-	**
$F_n = \text{ABS}(F_x + F_y)$	*	*	0	0	0	*	1	-	**	**	-	**
$F_n = \text{ABS}(F_x - F_y)$	*	*	0	0	0	*	1	-	**	**	-	**
$F_n = (F_x + F_y)/2$	*	0	*	0	0	*	1	-	**	-	-	**
$\text{COMP}(F_x, F_y)$	*	0	*	0	0	*	1	*	-	-	-	**
$F_n = -F_x$	*	*	*	0	0	*	1	-	-	**	-	**
$F_n = \text{ABS } F_x$	*	*	0	0	*	*	1	-	-	**	-	**
$F_n = \text{PASS } F_x$	*	0	*	0	0	*	1	-	-	-	-	**
$F_n = \text{RND } F_x$	*	*	*	0	0	*	1	-	-	**	-	**
$F_n = \text{SCALB } F_x \text{ BY } R_y$	*	*	*	0	0	*	1	-	**	**	-	**
$R_n = \text{MANT } F_x$	*	*	0	0	*	*	1	-	-	**	-	**
$R_n = \text{LOGB } F_x$	*	*	*	0	0	*	1	-	-	**	-	**
$R_n = \text{FIX } F_x \text{ BY } R_y$	*	*	*	0	0	*	1	-	**	**	-	**
$R_n = \text{FIX } F_x$	*	*	*	0	0	*	1	-	**	**	-	**
$F_n = \text{FLOAT } R_x \text{ BY } R_y$	*	*	*	0	0	0	1	-	**	**	-	-
$F_n = \text{FLOAT } R_x$	*	0	*	0	0	0	1	-	-	-	-	-
$F_n = \text{RECIPS } F_x$	*	*	*	0	0	*	1	-	**	**	-	**
$F_n = \text{RSQRTS } F_x$	*	*	*	0	0	*	1	-	-	**	-	**
$F_n = F_x \text{ COPYSIGN } F_y$	*	0	*	0	0	*	1	-	-	-	-	**
$F_n = \text{MIN}(F_x, F_y)$	*	0	*	0	0	*	1	-	-	-	-	**
$F_n = \text{MAX}(F_x, F_y)$	*	0	*	0	0	*	1	-	-	-	-	**
$F_n = \text{CLIP } F_x \text{ BY } F_y$	*	0	*	0	0	*	1	-	-	-	-	**

Multiplizierer

Multiplier instructions include:

- Floating-point multiplication
- Fixed-point multiplication
- Fixed-point multiply/accumulate with addition, rounding optional
- Fixed-point multiply/accumulate with subtraction, rounding optional
- Rounding result register
- Saturating result register
- Clearing result register

Multiplizierer - Flags

ASTAT

Bit Name Definition

6	MN	Multiplier result negative
7	MV	Multiplier overflow
8	MU	Multiplier underflow
9	MI	Multiplier floating-point invalid operation

Multiplizierer - Flags

STKY

Bit Name *Definition*

6	MOS	Multiplier fixed-point overflow
7	MVS	Multiplier floating-point overflow
8	MUS	Multiplier underflow
9	MIS	Multiplier floating-point invalid operation

Multiplizierer - Vereinbarungen

* set or cleared,

** may be set (but not cleared– no effect)

$R_n, R_x, R_y = R_{15}-R_0$; register file location,
treated as fixed-point

$F_n, F_x, F_y = F_{15}-F_0$; register file location,
treated as floating-point

$MR_{xF} = MR_{2F}, MR_{1F}, MR_{0F}$; multiplier
result accumulators, foreground

$MR_{xB} = MR_{2B}, MR_{1B}, MR_{0B}$; multiplier
result accumulators, background

Multiplizierer

Zahlenformatangabe

Optional Modifiers for Fixed-Point:

(
| X-Input |
| Y-Input |
| Data format, |
| rounding |
)

S	Signed input
U	Unsigned input
I	Integer input(s)
F	Fractional input(s)
FR	Fractional inputs, Rounded output
(SF)	Default format for 1-input operations
(SSF)	Default format for 2-input operations

Multiplizierer Befehle

<i>Instruction</i>	<u>ASTAT Flags</u>				<u>STKY Flags</u>			
	MU	MIN	MV	MI	MUS	MOS	MVS	MIS
<i>Fixed-Point:</i>								
$\left \begin{array}{l} Rn \\ MRF \\ MRB \end{array} \right = Rx * Ry \quad \left(\begin{array}{c c c} S & S & F \\ \hline U & U & I \\ \hline & & FR \end{array} \right)$	*	*	*	0	-	**	-	-
$\left \begin{array}{l} Rn = MRF \\ Rn = MRB \\ MRF = MRF \\ MRB = MRB \end{array} \right + Rx * Ry \quad \left(\begin{array}{c c c} S & S & F \\ \hline U & U & I \\ \hline & & FR \end{array} \right)$	*	*	*	0	-	**	-	-
$\left \begin{array}{l} Rn = MRF \\ Rn = MRB \\ MRF = MRF \\ MRB = MRB \end{array} \right - Rx * Ry \quad \left(\begin{array}{c c c} S & S & F \\ \hline U & U & I \\ \hline & & FR \end{array} \right)$	*	*	*	0	-	**	-	-

Multiplizierer Befehle

<i>Instruction</i>	<i>ASTAT Flags</i>				<i>STKY Flags</i>				
	MU	MN	MV	MI	MUS	MOS	MVS	MIS	
$\left \begin{array}{l} R_n = \text{SAT MRF} \\ R_n = \text{SAT MRB} \\ \text{MRF} = \text{SAT MRF} \\ \text{MRB} = \text{SAT MRB} \end{array} \right $	$\left \begin{array}{l} (SD) \\ (UI) \\ (SF) \\ (UF) \end{array} \right $	*	*	*	0	-	**	-	-
$\left \begin{array}{l} R_n = \text{RND MRF} \\ R_n = \text{RND MRB} \\ \text{MRF} = \text{RND MRF} \\ \text{MRB} = \text{RND MRB} \end{array} \right $	$\left \begin{array}{l} (SF) \\ (UF) \end{array} \right $	*	*	*	0	-	**	-	-
$\left \begin{array}{l} \text{MRF} \\ \text{MRB} \end{array} \right = 0$		0	0	0	0	-	-	-	-
$\left \begin{array}{l} \text{MRxF} \\ \text{MRxB} \end{array} \right = R_n$		0	0	0	0	-	-	-	-
$R_n = \left \begin{array}{l} \text{MRxF} \\ \text{MRxB} \end{array} \right $		0	0	0	0	-	-	-	-

Multiplizierer

Festkommaergebnis

